

# Modeling and problem solving with Mosel

FICO Xpress Training

Last update 28 August, 2010

# Contents

<b>Introduction, Xpress overview</b>	<b>1</b>
1.1 Overview of Xpress	1
1.2 Why use modeling software?	4
1.3 Xpress-IVE demonstration	5
<b>Modeling with Mosel</b>	<b>8</b>
2.1 Modeling basics	8
2.1.1 A first model	8
2.1.2 Data structures and loops	13
2.1.3 Model building style	15
2.2 Accessing data sources	16
2.2.1 The <code>initializations</code> block	16
2.2.2 Dynamic arrays	18
2.2.3 Run-time parameters	19
2.2.4 Using other data sources	21
2.3 Advanced modeling topics	24
2.3.1 MIP variable types	24
2.3.2 Modeling with binary variables	25
2.4 Programming language features	27
2.4.1 Selections	27
2.4.2 Loops	27
2.4.3 Functions and procedures	28
2.4.4 Data structures	29
2.4.5 Programming solution algorithms	30
2.5 Mosel modules	32
<b>Embedding Mosel models</b>	<b>36</b>
3.1 Embedding models in applications	36
<b>Summary and further information</b>	<b>39</b>
4.1 Summary	39

# Introduction, Xpress overview

## Topics

- Introduction to Xpress
- Modeling with Mosel:
  - Linear and Mixed Integer Programming (LP and MIP)
  - Accessing data sources
  - Programming language features
- Embedding models in applications

## Aims

- At the end of the course you will
  - be familiar with optimization methods and the terminology used to describe them
  - be confident about formulating optimization models and understanding the solution
  - know how use Xpress to model and solve problems
  - be able to embed a model in a application

## Other materials

- Not a replacement for the reference manuals!
- Focuses on areas that are of practical importance
- Does not try to be exhaustive
- Pointers to reference material at the end of every chapter

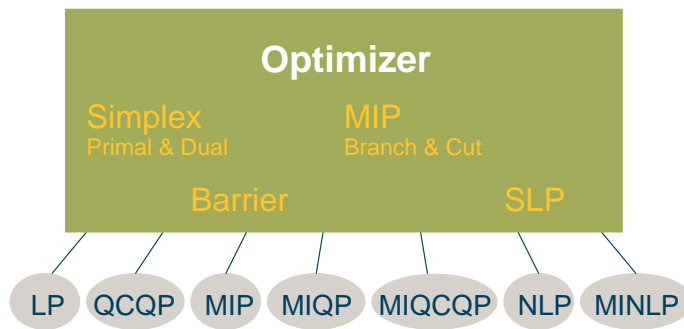
## 1.1 Overview of Xpress

---

*Notes*

- Optimization algorithms
  - enables you to solve different classes of problems
  - built for speed, robustness and scalability
- Modeling interfaces
  - enables you to provide your problem in the most suitable way for your application
  - built for ease of use and interfacing

## Optimization algorithms



## Modeling interfaces

- Mosel
  - formulate model and develop optimization methods using Mosel language / environment
- BCL
  - build up model in your application code using object-oriented model builder library
- Optimizer
  - read in matrix files
  - input entire matrix from program arrays

## Mosel

- A modeling and solving environment
  - integration of modeling and solving
  - programming facilities
  - open, modular architecture
- Interfaces to external data sources (e.g. ODBC, host application) provided
- Language is concise, user friendly, high level
- Best choice for rapid development and deployment

## Mosel: Components and interfaces

- *Mosel language*: to implement problems and solution algorithms  
⇒ model or Mosel program
- *Mosel Model Compiler and Run-time Libraries*: to compile, execute and access models from a programming language  
⇒ C/C++, C#, Java, or VB program

- *Mosel Native Interface (NI)*: to provide new or extend existing functionality of the Mosel language  
⇒ module
- *Xpress-IVE*: graphical user interface, representation of the problem matrix, solution status/progress graphs, and result display

## Mosel model extract

```

declarations
  use: array(OILS,TIME) of mpvar
  MaxRev: linctr
  Inven: array(OILS,TIME) of linctr
end-declarations

MaxRev := sum(i in OILS, t in TIME) (FOODPRICE*use(i,t) -
  SCOST*store(i,t) - COST(i,t)*buy(i,t))

forall(t in TIME) do
  MaxVegRef(t) := sum(i in VOILS) use(i,t) <= MAXREFVEG
  forall(i in OILS) do
    Inven(i,t) := store(i,t) = store(i,t-1) + buy(i,t) - use(i,t)
    ifuse(i,t) is_binary
  end-do
end-do

```

## Mosel Libraries

- Embed Mosel models directly in your application
- Access the solution within your application
- Compiled models are platform independent
- Enjoy benefits of structured modeling language and rapid deployment when building applications
- Available for C, Java, C#, and VB

## Xpress-IVE

- Visual Studio style visual development environment for optimization & model building with Mosel
- Mosel model editor & compiler
- Real time graphs show optimization performance
- Browse solution values in entity tree

## Xpress-BCL

- Model consists of BCL functions within application source code (C, C++, Java, C# or VB)
- Develop with standard C/C++/Java/C#/VB tools
- Provide your own data interfacing
- Lower level, object oriented approach
- Enjoy benefits of structured modeling within your application source code

## BCL extract

```
for (f = 0; f < NF; f++)
  for (t = 0; t < NT; t++) {
    open[f][t] = prob.newVar("open", XPRB_BV);
    make[f][t] = prob.newVar("make", XPRB_PL, 0, 100);
  }

MaxProfit = prob.newCtr("MaxProfit");
for (f = 0; f < NF; f++)
  for (t = 0; t < NT; t++)
    MaxProfit += -MCOST[f]*make[f][t];

for (f = 0; f < NF; f++)
  for (t = 0; t < NT; t++)
    MxMake[f][t] =
      prob.newCtr("MxMake", make[f][t] <= MXMAKE[f]*open[f][t] );
```

## Xpress-Optimizer

- Model is set of arrays within application source code (C, Java, C#, or VB)
- May also input problems from a matrix file
- Develop with standard C/C#/Java/VB tools
- Provide your own data interfacing
- Very low level, no problem structure
- Most efficient but lose easy model development and maintenance

## Mosel and Optimizer Consoles

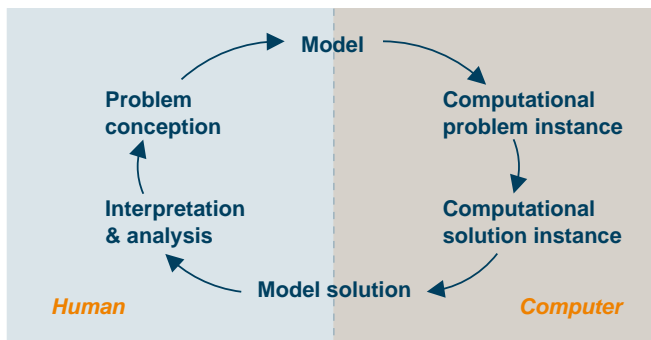
- Stand-alone command line executables with text interfaces
- Useful for simple deployment using batch/script files
- Available for all platforms supported by Xpress

## Why choose Xpress?

- Active research and development
- Performance & reliability
- Problem classes & sizes
- Choice of modeling software
- Support

## 1.2 Why use modeling software?

Notes



- Developing a working model is the difficult bit
- Important to have software that helps
  - speed to market
  - verify correctness
  - maintenance & modification
  - algorithmic considerations
  - execution speed

### Xpress modeling software

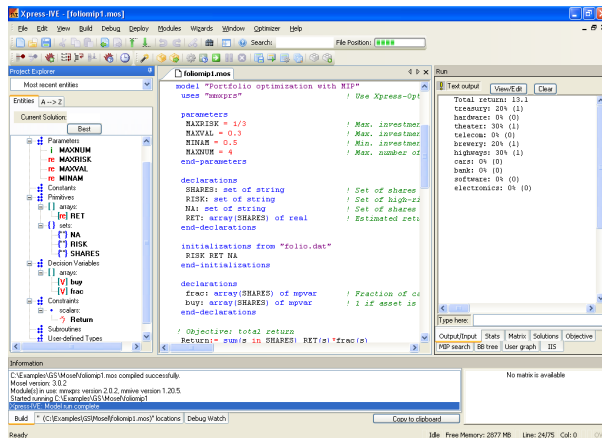
- The concepts we describe – how to formulate and solve problems – apply to all modeling software
- In this course we will use the Xpress-IVE development environment with the Xpress-Mosel language because it is
  - easy to understand and learn
  - easy to use






### Xpress optimization software






























- Whether you use Mosel, BCL, or interface to the Optimizer directly, your models will all be solved using the Xpress-Optimizer
- The optimization performance will be the same no matter which modeling software you use

## 1.3 Xpress-IVE demonstration

Notes



- Models: new, saving, opening, switching
  -  start a new model
  -  open an existing model
  -  save current model
  -  show list of available modules
- Bars: editor, entity, info, output (run)
  -  switch between window layouts

- Editor: colors, auto-complete, tool tips
  -  copy selection
  -  cut selection
  -  paste selection
  -  go to next / last line with same indentation
  -  go to previous / next cursor position (line)
  -  undo / redo last editor command
- Compile, run
  -  compile current model
  -  execute current model
  -  open run options dialog
  -  pause execution
  -  interrupt execution
  -  search for the N best solutions
  -  start infeasibility repair
- Output bar: log, stats, matrix, graphs, tree
- Viewing solution values
- Problem and matrix export and import
  -  generate BIM file
  -  export the problem matrix
  -  optimize an imported matrix
- Search, bookmark
  -  search
  -  delete bookmarks
- Help
  -  help
  -  model generation wizzard & example models
  -  module generation wizzard
- Debugger
  -  set/delete breakpoint at cursor
  -  define conditional breakpoint
  -  start/stop debugger
  -  step over an expression
  -  step into an expression
  -  run up to the cursor
  -  show debugger options dialog
- Profiler
  -  start the profiler



## Reference material

- The manual *Getting Started with Xpress* introduces first time or occasional users to modeling with Mosel and BCL, or the direct Optimizer interface
- The *Evaluators Guide* and *Advanced Evaluators Guide* provide a quick walk-through of the Getting Started examples and some more advanced features

# Modeling with Mosel

- Modeling basics
- Accessing data sources
- Advanced modeling topics
- Programming language features
- Mosel modules and packages

## 2.1 Modeling basics

---

Notes

### Topics

- Definition of decision variables and constraints
- Solving with Xpress-Optimizer
- Solution output

### 2.1.1 A first model

#### Example: Chess problem

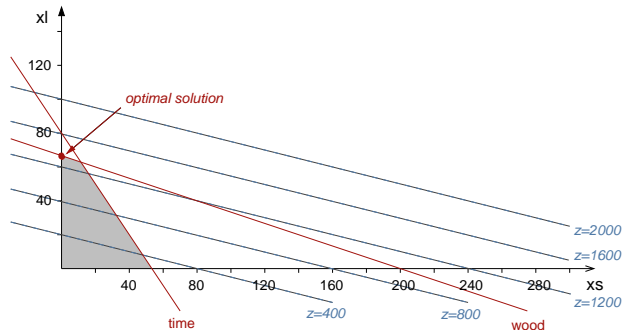
- A joinery makes two different sizes of boxwood chess sets.
- The small set requires 3 hours of machining on a lathe, and the large set requires 2 hours. There are 4 lathes with skilled operators who each work a 40 hour week.
- The small chess set requires 1 kg of boxwood, and the large set requires 3 kg. Only 200 kg of boxwood can be obtained per week.
- Each of the large chess sets yields a profit of \$20, and one of the small chess sets has a profit of \$5.
- How many sets of each kind should be made each week so as to maximize profit?

#### Chess problem: Mathematical formulation

- $x_l$  – quantity of large chess sets made
- $x_s$  – quantity of small chess sets made

$$\begin{aligned} \max \quad & z = 5 \cdot x_s + 20 \cdot x_l \\ \text{s.t.} \quad & 3 \cdot x_s + 2 \cdot x_l \leq 160 (= 4 \cdot 40) \quad (\text{lathe time}) \\ & x_s + 3 \cdot x_l \leq 200 \quad (\text{wood}) \\ & x_s, x_l \geq 0 \end{aligned}$$

## Chess problem: Graphical solution



## Chess problem: Model Chess 1

```

model "Chess 1"
  uses "mmxprs"                                ! Use Xpress-Optimizer for solving

  declarations
    xs: mpvar                                  ! Number of small chess sets
    xl: mpvar                                  ! Number of large chess sets
  end-declarations

  3*xs + 2*xl <= 160                          ! Constraint: limit on working hours
  xs + 3*xl <= 200                            ! Constraint: raw mat. availability

  maximize (5*xs + 20*xl)                     ! Objective: maximize total profit
end-model

```

## Starting and ending a Mosel model

```

model "Chess 1"
...
end-model

```

## Preamble

- `uses` statement: Say we will use the Xpress-Optimizer library, so that we can solve our problem
- Options:
  - `noimplicit`: force all objects to be declared
  - `explterm`: Use ';' to mark line ends

```

uses 'mmxprs'
options noimplicit
options explterm

```

## Decision variables

```

declarations
  x: mpvar
  a, b, c: mpvar
  make: array(1..10, 1..20) of mpvar
  buy, sell: array(1..10) of mpvar
end-declarations

```

- `mpvar` means *mathematical programming variable* or *decision variable*
- Decision variables are unknowns: they have no value until the model is run, and the optimizer finds values for the decision variables

- In optimization problems, decision variables are often just called *variables*
- In computer programs, a variable can be used to refer to many different types of objects
- For instance, in Mosel models, a *program variable* can be used to refer to a *decision variable*, as well as integers, reals, etc.

### Bounds on decision variables

- Variables can take values between 0 and infinity by default
- Other bounds may be specified

```
x <= 10
y(1) = 25.5
y(2) is_free
z(2,3) >= -50
z(2,3) <= 50
```

### Constraints

- Have type `linctr` – linear constraint

```
declarations
  Wood: linctr
  Inven: array(1..10) of linctr
end-declarations
```

- The ‘value’ of a constraint entity is a linear expression of decision variables, a constraint type, and a constant term
- Set using an assignment statement

```
Wood := xs + 3*x1 <= 200
```

### Constraints

```
Ctr(1) := 2*x(1) + 5*x(2) <= 60
Ctr(2) := x(1) - x(2) = 0
Ctr(3) := 4*x(1) - 3*x(2) >= 10

Inven(2) := stock(2) = stock(1) +
  buy(2) - sell(2)
```

### Objective function

- An objective function is just a constraint with no constraint type

```
declarations
  MinCost: linctr
end-declarations

MinCost := 10*x(1) + 20*x(2) + 30*x(3) + 40*x(4)
```

### Optimization & matrix generation

- Generate the matrix and solve the problem:

```
minimize(MinCost)
maximize(5*xs + 20*x1)
```

- Load the matrix:

```
loadprob(MinCost)
```

- Matrix export:

```
exportprob(0, "explout", MinCost)
```

## Viewing the solution

- Can access and manipulate the solution values within the model


```
writeln('Solution: ', getobjval)

writeln('xs = ', getsol(xs))
writeln('xl = ', getsol(xl))

write('Wood: ', getact(Wood), ' ')
writeln(getslack(Wood))
```

- Solution values of constraints  
activity value + slack value = RHS

## Project work [C-1]: Chess problem

- Execute the model `chess1.mos`.
- Add printing of the solution values.
- Is the solution realistic/desirable?
- Constrain the variables to take integer values only.
- Add output of constraint activity and slack values.
- Executing model `chess1.mos` with IVE:
  - double click on the model file to start IVE or open the file from within IVE
  - click on the run button: 
- Model execution from the command line:

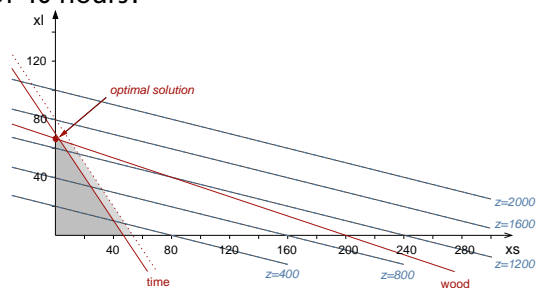
```
mosel -c "exe chess1.mos"
```

– or:

```
mosel
exe chess1.mos
quit
```

## Solution analysis

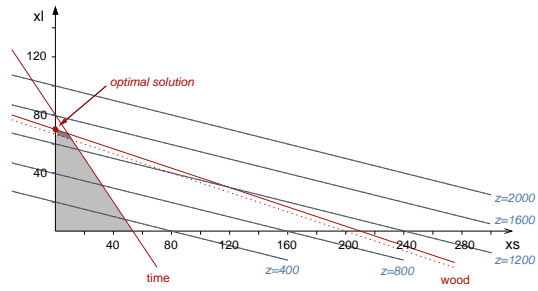
- What happens if machines operate 35 instead of 40 hours?



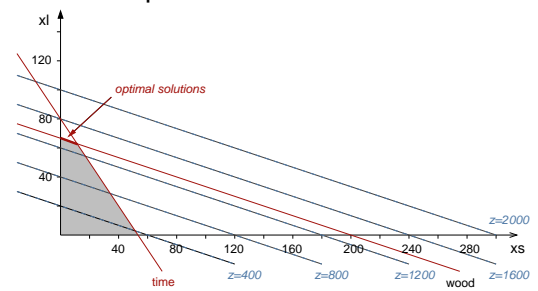
- Calculate spare capacity: `getslack,`  
`getactivity`

## LP solution analysis

- What is the cost of an extra unit of wood/extra working hour?



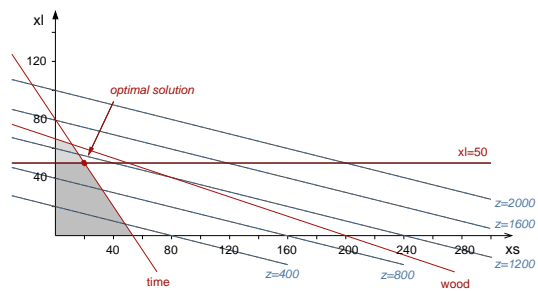
- Reduced cost: `getrcost`
- What is the cost of producing an additional unit of each product?



- Dual values ('shadow prices'): `getdual`
- Increase price of  $x_1$  to reach break even point

## Solution analysis

- Limit the amount of  $x_1$ .



## 2.1.2 Data structures and loops

### Extending the example: Model Chess 2

```
uses "mmxprs"
options explterm           ! Use ';' to mark line ends

declarations
  Allvars: set of mpar;           ! Set of variables
  DescrV: array(Allvars) of string; ! Descriptions of variables
  xs,xl: mpar;
end-declarations

DescrV(xs) := "Small"; DescrV(xl) := "Large";

Profit:= 5*xs + 20*xl;           ! Objective function
Time:= 3*xs + 2*xl <= 160;      ! Constraints
Wood:= xs + 3*xl <= 200;
xs is_integer; xl is_integer;

maximize(Profit);
writeln("Solution: ", getobjval);
forall(x in Allvars) writeln(DescrV(x), ":", getsol(x));
```

### Data structures

- **Set:** unordered collection of objects of the same type
  - used as *index sets*
  - special type *range sets* (= interval of integers)
- **Array:** multidimensional table of objects of the same type
  - used for data, decision variables, constraints
  - may be *dynamic* or *static*

### Arrays and loops: Model Chess 3

```
uses "mmxprs"

declarations
  R = 1..2           ! Index range
  DUR, WOOD, PROFIT: array(R) of real ! Coefficients
  x: array(R) of mpar ! Array of variables
end-declarations

DUR   :: [3, 2]           ! Initialize data arrays
WOOD  :: [1, 3]
PROFIT :: [5, 20]

sum(i in R) DUR(i)*x(i) <= 160 ! Constraint definition
sum(i in R) WOOD(i)*x(i) <= 200
forall(i in R) x(i) is_integer
maximize(sum(i in R) PROFIT(i)*x(i))
writeln("Solution: ", getobjval)
```

### Data declaration

```
declarations
  N WEEKS = 20           ! Integer constant
  DATA_DIR = 'c:/data' ! String constant
  NPROD: integer         ! Integer variable
  SCOST: real           ! Real variable
  DIR: string           ! String variable
  IF_DEBUG: boolean     ! Boolean variable

  PRODUCTS = {"P1", "P2", "P4"} ! Constant set of string
  S: set of integer       ! Variable set of integer
  R: range               ! Range of integers
  COST: array(1..3,1..4) of real ! Array of real
end-declarations
```

## Data initialization

```
NPROD:= 50
SCOST:= 5.4
DIR:= 'c:/data'
IF_DEBUG:= true

S:= {10, 0, -5, 13}
R:= 1..NPROD
COST:: [11, 12, 13, 14,
        21, 22, 23, 24,
        31, 32, 33, 34]
```

## Summations

- Sum up an array of variables in a constraint

```
Ctr1:= sum(p in 1..10) (RES(p)*buy(p) + sell(p)) <= 100

Ctr2:= sum(p in PRODUCTS) (buy(p) + sum(r in 1..5) make(p,r)) <= 100

Ctr3:= sum(p in 1..NP) (2+CAP(p)*buy(p)/10 +
    SCAP(p)*sell(p)) <= MAXCAP
```

## Loops

- Use a loop to assign an array of constraints

```
forall(t in 2..NT)
    Inven(t) := bal(t) = bal(t-1) + buy(t) - sell(t)
```

- Use do/end-do to group several statements into one loop

```
forall(t in 1..NT) do
    MaxRef(t) := sum(i in PRODUCTS)
        use(i,t) <= MAXREF(t)

    Inven(t) := store(t) = store(t-1) + buy(t) - use(t)
end-do
```

- Can nest forall statements

```
forall(t in 1..NT) do
    MaxRef(t) := sum(i in 1..NI) use(i,t) <= MAXREF(t)

    forall(i in 1..NI)
        Inven(i,t) := store(i,t) = store(i,t-1) + buy(i,t) - use(i,t)
    end-do
end-do
```

## Conditions

- May include conditions in sums or loops

```
forall(c in 1..10 | CAP(c) >= 100.0)
    MaxCap(c) :=
        sum(i in 1..10, j in 1..10 | i <> j)
            TECH(i,j,c) * x(i,j,c) <= MAXTECH(c)
```

## Mosel statements

- Can extend over several lines and use spaces
- However, a line break acts as an expression terminator
- To continue an expression, it must be cut after a symbol that implies continuation (e.g. +, -, )



### 2.1.3 Model building style

- You should aim to build a model with sections in this order
  - *constant data*: declare, initialize
  - *all non-constant objects*: declare
  - *variable data*: initialize / input / calculate
  - *decision variables*: create, specify bounds
  - *constraints*: declare, specify
  - *objective*: declare, specify, optimize
- In both LP and MIP it is very important to distinguish between
  - *known values*
    - \* data, parameters, etc.
  - and *unknown values*
    - \* decision variables
- All constraints must be linear expressions of the variables
- Suggestion: name objects as follows
  - known values (data) using upper case
  - unknown values (variables) using lower case
  - constraints using mixed caseso that it is easy to distinguish between them, and see that constraints are indeed linear
- Variables are *actions* that your model will prescribe
- Use verbs for the names of variables
  - this emphasizes that variables represent '*what to do*' decisions
- Indices are the *objects* that the actions are performed on
- Use nouns for the names of indices
- Using named index sets/ranges
  - improves the readability of a model
  - makes it easier to apply the model to different sized data sets
  - makes the model easier to maintain
  - may speed up your model
- Try to include 'Min' or 'Max' in the name of your objective function
- An objective function called 'Obj' is not very helpful when taken out of context!

- Comments are essential for a well written model
- Always use a comment to explain what each parameter, data table, variable, and constraint is for when you declare it
- Add extra comments to explain any complex calculation etc.

- Comments in Mosel:

```

declarations
  PRODUCTS = 1..NP           ! Set of products
  TIMES = 1..NT             ! Set of time periods
  make: array(PRODUCTS, TIMES) of mpvar
                             ! Amount of p produced in time t
  sell: array(PRODUCTS, TIMES) of mpvar
                             ! Amount of p sold in time t
end-declarations

(! And here is a multi-line
comment !) forall(t in TIMES)

```

## 2.2 Accessing data sources

Notes

### Topics

- Text files
- ODBC
- Sparse data

### Separation of problem logic and data

- Typically, the model logic stays constant once developed, with the data changing each run
- Editing the model can create errors, expose intellectual property, and is impractical for industrial size data
- It makes good sense to fix the model and obtain data from their source

### 2.2.1 The initializations block

#### Data input from file: Chess 4

```

uses "mmxprs"

declarations
  PRODS = 1..2              ! Index range
  DUR, WOOD, PROFIT: array(PRODS) of real ! Coefficients
  x: array(PRODS) of mpvar  ! Array of variables
end-declarations

initializations from "chess.dat" ! Read data from file
  DUR WOOD PROFIT              ! chess.dat: PROFIT: [5 20]
end-initializations           !
                               ! DUR: [3 2]
                               ! WOOD: [1 3]

sum(i in PRODS) DUR(i)*x(i) <= 160 ! Constraint definition
sum(i in PRODS) WOOD(i)*x(i) <= 200
forall(i in PRODS) x(i) is_integer
maximize(sum(i in PRODS) PROFIT(i)*x(i))
writeln("Solution: ", getobjval)

```

## Data file chess.dat

- Every data item/table has a label, its identifier
- Single line comments (marked with '!')

```
! Data file for 'chess4.mos'  
DUR:    [3 2]  
WOOD:   [1 3]  
PROFIT: [5 20]
```

## Sparse data format

- Every data entry specified with its index tuple
- Can read data from one labeled data source into several Mosel data tables at once
  - data tables must have identical indices

```
initializations from 'chess.dat'  
[DUR, WOOD, PROFIT] as 'ChessData'  
end-initializations
```

- Format of data file with several data values in one labeled data range (use a \* for a missing data value)

```
! chess.dat  
ChessData: [  
  (1) [3 1 5]  
  (2) [2 3 20]  
]
```

## Writing data out to text files

- You can write out values in an analogous way to reading them in using `initializations to`
- To write out the solution values of variables, or other solution values (slack, activity, dual, reduced cost) you must first put the values into a data table

```
declarations  
  x_sol: array(PRODS) of real  
end-declarations  
  
forall(i in PRODS)  
  x_sol(i) := getsol(x(i))  
  
initializations to 'result.dat'  
  x_sol  
end-initializations
```

## Free format text files

```
fopen("result.dat", F_OUTPUT+F_APPEND)  
  
forall(i in PRODS)  
  writeln(i, ":", getsol(x(i)))  
  
fclose(F_OUTPUT)
```

## Project work [C-2]: Arrays and index sets

- Modify the model `chess4.mos` to use indices of type `string`.
- Execute this new model `chess4s.mos` with data set `chess2.dat`.
- Output the solution values to file `sol.dat` using initializations `to`.
- Modify the models further to read the contents of the index set from file (`chess5.mos`, `chess5s.mos`).

### 2.2.2 Dynamic arrays

- Mosel provides a user friendly and efficient means of modeling mathematical programming problems
- Objects such as dynamic arrays and variable index sets, together with efficient loops and sums, allow large scale models to be written easily, and execute quickly
- Dynamic array: indexing sets not known at declaration, or array explicitly marked `dynamic`
- Initialize dynamic data arrays from text files or using ODBC
  - data must use *sparse format*
  - this is so Mosel can work out the values of the indices
  - reading in the data array initializes *both* the *index values* and the *data values* at the same time

#### Dynamic arrays of decision variables

- An entry of a dynamic array is only created when a value is assigned to it
- Decision variables don't get created, because you don't assign values to them
- To create decision variables in a dynamic array, use the `create` procedure

```
declarations
  TIME: range                ! = set of contiguous integers
  COST: array(TIME) of real
  use: array(TIME) of mpar
end-declarations

(...)                       ! Read in COST data etc

forall(t in TIME | exists(COST(t)))
  create(use(t))
```

- Note: if you declare decision variables *after* reading in the data, then decision variables will be created for all combinations of the index set elements that exist at that time
- Do *not* use `create` in this case
- Define decision variables *before* reading in data if you want to use `create` to control exactly which elements get created

## Dynamic arrays

- Use dynamic arrays
  - to size data tables automatically when the data is read in
  - to initialize the index values automatically when the data is read in
  - to conserve memory when storing sparse data
  - to eliminate index combinations without using conditions each time
- Don't use dynamic arrays
  - when you can use an ordinary (static) array instead
  - when storing dense data, and you can size the data table and initialize the indices in some other way (dynamic arrays are slower and use more memory than a static array when storing dense data)

## 2.2.3 Run-time parameters

### Data input from file: Chess 4 completed

```

uses "mmxprs"
parameters
  FILENAME="chess.dat"           ! Name of the data file
end-parameters

declarations
  PRODS = 1..2                   ! Index range
  DUR, WOOD, PROFIT: array(PRODS) of real ! Coefficients
  x: array(PRODS) of mpvar       ! Array of variables
end-declarations

initializations from FILENAME    ! Read data from file
  DUR WOOD PROFIT
end-initializations

sum(i in PRODS) DUR(i)*x(i) <= 160 ! Constraint definition
sum(i in PRODS) WOOD(i)+x(i) <= 200
forall(i in PRODS) x(i) is_integer
maximize(sum(i in PRODS) PROFIT(i)*x(i))

```

## Run-time parameters

- Parameters
  - a special type of constant
  - default value may be overridden at run-time

```
parameters
  DATA_DIR = 'c:/data'
  DEBUG = true
  NUM_RECORDS = 1000
end-parameters
```


- The value in the model is used by default
- A different value may be given at run-time
  - In IVE, an alternative value may be set in the *Build* » *Options* dialogue
  - When running a Mosel model from an application, an alternative value can be set in the parameters string
- A `parameters` section must come at the top of the model
  - after any `uses` or `options` statements
  - before any other statements
- Parameters are especially useful for passing directories/paths into the model
  - all files referenced in the model should use a directory parameter
  - otherwise, Mosel may not be able to find the file when the model is deployed (the default path differs when run from an application)
  - use '+' to join strings
- Specifying directory paths
  - preferably use '/' as directory separator

```
parameters
  DIR = '.'
end-parameters

fopen(DIR+'cap.dat', F_INPUT)
...
fclose(F_INPUT)
...
initializations from DIR+'cost.dat'
...
```

### Project work [C-3]: Run-time parameters

- In models `chess5.mos` and `chess5s.mos` turn the data file name into a run-time parameter.
- Re-run your model `chess5s.mos` with the larger data set `chess3.dat` without changing the filename in the model.

- Setting runtime parameters within IVE:
  - select menu *Build* » *Options* or click on the button 
  - check *Use model parameters* to activate the parameter input field and enter the new value(s)
- Runtime parameters from the command line:

```
mosel -c "exe chess5s.mos DATAFILE='chess3.dat' "
```

- or:

```
mosel
exe chess5s.mos DATAFILE='chess3.dat'
quit
```

## 2.2.4 Using other data sources

- The `initializations` block can work with many different data sources and formats thanks to the notion of *I/O drivers*
- I/O drivers for physical data files: `mmodbc.excel`, `mmoci.oci`, `mmetc.diskdata`
- Other drivers available, e.g. for data exchange in memory
- Change of the data source = change of the I/O driver, no other modifications to your model

### Data transfer using ODBC

- First, must check ODBC driver for your chosen data source (external to Xpress)
  - *Start* » *Settings* » *Control Panel* » *Administrative Tools* » *Data Sources (ODBC)*
  - Check that data source is defined, and note its name (the data source name, *DSN*)
- Next, identify specific data source – a database or spreadsheet
  - note its location (path)
  - the data must be in a table in a database, or a named range in a spreadsheet
- Now, in your model
  - use the `mmodbc` module (requires licence)
  - use the `odbc` driver in `initializations` blocks, or
  - write out the corresponding SQL commands:
    - \* set up an ODBC data connection to the specific data source
    - \* input data using SQL statements
    - \* disconnect

## Reading data via ODBC

- Excel spreadsheet ('ChessData' = range in the spreadsheet):

```
initializations from 'mmodbc.odbc:chess.xls'  
[DUR, WOOD, PROFIT] as 'ChessData'  
end-initializations
```

- Access database ('ChessData' = data table):

```
initializations from 'mmodbc.odbc:debug;chess.mdb'  
[DUR, WOOD, PROFIT] as 'ChessData'  
end-initializations
```

## Data export to a database

```
initializations to 'mmodbc.odbc:debug;chess.mdb'  
x_sol as 'ChessSol'  
end-initializations
```

- Before every new run, delete the data from the previous run in the destination range/table
- Otherwise the new results will either be appended to the existing ones or, if 'PRODS' has been defined as key field in a database, the insertion will fail

## Special notes for data export to Excel

- Make sure the 'Read Only' option is disabled in the ODBC data source set-up options
- Define the destination range in the spreadsheet, with one line of column headings, one line of dummy data, and no other data
- Excel does not support the full range of ODBC functionality (commands like 'update' or 'delete' will fail)  
⇒ preferably use direct connection (*excel* driver)

## Data exchange with MS Excel

- Software-specific driver *excel* for MS Excel
  - use *mmodbc* module (requires licence)
  - use the *excel* driver (instead of *odbc*) in `initializations` blocks
  - no driver setup required (works with standard Excel installation)
  - simply replace "mmodbc.odbc:" by "mmodbc.excel:skiph;" in the preceding examples



## Data exchange with Oracle

- Software-specific driver *oci* for Oracle databases
  - use *mmoci* module (requires licence)
  - setup: Oracle's Instant Client package must be installed on the machine running the Mosel model
  - in `initializations` blocks replace "`mmodbc.odbc:`" by "`mmoci.oci:`" in the preceding examples
  - supports SQL statements (replace the prefix `SQL` by `OCI`)

## SQL

- The I/O driver *odbc* generates automatically the SQL commands required to connect to the database/spreadsheet
- For advanced uses module *mmodbc* also defines most standard SQL commands directly for the Mosel language

## Project work [C-4]: ODBC

- Check that the ODBC DSN for Excel is set up on your computer
- Re-run your model `chess5.mos` with the Excel file `chess.xls`

## Summary

- We have seen that it is possible to completely separate the data and the model
- The model specifies the logic of the problem, without any reference to its size
- The model can be applied to any data instance, simply by providing data files

## Reference material

- Refer to the *Mosel User Guide* for a detailed introduction to working with Mosel.
- The book *Applications of optimization with Xpress-MP* provides a large collection of examples models from different application areas.
- See the whitepaper *Using ODBC and other database interfaces with Mosel* for further detail on data handling.

### Topics

- MIP variable types
- Modeling with binary variables

### 2.3.1 MIP variable types

- *Binary variables*

- can take either the value 0 or the value 1 (do/ don't do variables)
- model logical conditions

```
x(4) is_binary
```

- *Integer variables*

- can take only integer values
- used where the underlying decision variable really has to take on a whole number value for the optimal solution to make sense

```
x(7) is_integer
```

- *Partial integer variables*

- can take integer values up to a specified limit and any value above that limit
- computational advantages in problems where it is acceptable to round the LP solution to an integer if the optimal value of a decision variable is quite large, but unacceptable if it is small

```
x(1) is_partint 5 ! Integer up to 5, then continuous
```

- *Semi-continuous variables*

- can take either the value 0, or a value between some lower limit and upper limit
- help model situations where if a variable is to be used at all, it has to be used at some minimum level

```
x(2) is_semcont 6 ! A 'hole' between 0 and 6, then continuous
```

- *Semi-continuous integer variables*

- can take either the value 0, or an integer value between some lower limit and upper limit
- help model situations where if a variable is to be used at all, it has to be used at some minimum level, and has to be integer

```
x(3) is_semint 7 ! A 'hole' between 0 and 7, then integer
```

- *Special Ordered Sets of type one (SOS1)*
  - an ordered set of variables at most one of which can take a non-zero value
  - single choice among several possibilities
- *Special Ordered Sets of type two (SOS2)*
  - an ordered set of variables, of which at most two can be non-zero, and if two are non-zero these must be consecutive in their ordering
  - e.g. approximation of non-linear functions with a piecewise linear function

### SOS definition

- WEIGHT array determines the ordering of the variables:

```
MYSOS:= sum(i in IRng) WEIGHT(i)*x(i) is_sosX
```

where `is_sosX` is either `is_sos1` or `is_sos2`

- Alternative: set `S` of set members, linear constraint `L` with ordering coefficients (= *reference row entries*):

```
makesos1(S,L); makesos2(S,L)
```

- must be used if the coefficient `WEIGHT(i)` of an intended set member is zero
- Note: the ordering coefficients must all be distinct (or else they are not doing their job of supplying an order!)

## 2.3.2 Modeling with binary variables

### Logical conditions

- Projects A, B, C, D
- Binary variables  $a, b, c, d$ 
  - do at most 3 projects:  $a + b + c + d \leq 3$
  - must do D if A done:  $d \geq a$
  - can only do C if both A and B done:  
 $c \leq (a + b) / 2$   
 $c \leq a, c \leq b$

### Disjunctions

- Either
 
$$5 \leq x \leq 10$$

or

$$80 \leq x \leq 100$$
- Introduce a new variable:  
*ifupper*: 0 if  $5 \leq x \leq 10$ ; 1 if  $80 \leq x \leq 100$ 

$$x \leq 10 + (100 - 10) \cdot \textit{ifupper} \quad [1]$$

$$x \geq 5 + (80 - 5) \cdot \textit{ifupper} \quad [2]$$

- Either  $5 \leq \sum_i A_i x_i \leq 10$   
or  $80 \leq \sum_i A_i x_i \leq 100$

$$\sum_i A_i x_i \leq 10 + 90 \cdot \text{ifupper}$$

$$\sum_i A_i x_i \geq 5 + 75 \cdot \text{ifupper}$$

### Absolute values

- Two variables

$$x_1, x_2$$

with

$$0 \leq x_i \leq U \quad [1.i]$$

want

$$y = |x_1 - x_2|$$

- Introduce binary variables

$$d_1, d_2$$

to mean

$d_1$  : 1 if  $x_1 - x_2$  is the positive value

$d_2$  : 1 if  $x_2 - x_1$  is the positive value

- MIP formulation of  $y = |x_1 - x_2|$

$$0 \leq x_i \leq U \quad [1.i]$$

$$0 \leq y - (x_1 - x_2) \leq 2 \cdot U \cdot d_2 \quad [2]$$

$$0 \leq y - (x_2 - x_1) \leq 2 \cdot U \cdot d_1 \quad [3]$$

$$d_1 + d_2 = 1 \quad [4]$$

### Project work [C-5]: Logical constraints

- Take a look at the capital budgeting model in `capbgt.mos`: the objective is to determine the most profitable choice among 8 possible projects, subject to limited resources (personnel and capital)
- Formulate the following additional constraints:
  - P1 can only be done if P2 is done
  - P1 can only be done if P3 and P6 are done
  - It is not possible to do both P5 and P6
  - Either P1 and P2 must be done or P3 and P4 (but not both pairs).

### Mosel: A programming environment

- Selections
- Loops
- Set operations
- Subroutines
- Data structures

#### 2.4.1 Selections

- if

```
if A >= 20 then
  x <= 7
elif A <= 10 then
  x >= 35
else
  x = 0
end-if
```

- case

```
case A of
  -1000..10 : x >= 35
  20..1000 : x <= 7
  12, 15 : x = 1
else
  x = 0
end-case
```

#### 2.4.2 Loops

- forall [do]
- while [do]
- repeat until

#### Example: Prime numbers

- Implements the 'Sieve of Eratosthenes'.

```
SNumbers = {2, ..., L}
n := 2
repeat
  while (n ∉ SNumbers) n := n + 1
  SPrime := SPrime ∪ {n}
  i := n
  while (i ≤ L)
    SNumbers := SNumbers \ {i}
    i := i + n
until SNumbers = {}
```

```
model Prime
parameters
  LIMIT=100 ! Search for prime numbers in 2..LIMIT
end-parameters

declarations
  SNumbers: set of integer ! Set of numbers to be checked
  SPrime: set of integer ! Set of prime numbers
end-declarations

SNumbers:={2..LIMIT}
writeln("Prime numbers between 2 and ", LIMIT, ":")
```

```

n:=2
repeat
  while (not (n in SNumbers)) n+=1
  SPrime += {n}           ! n is a prime number
  i:=n
  while (i<=LIMIT) do      ! Remove n and all its multiples
    SNumbers-- {i}
    i+=n
  end-do
until SNumbers={}

writeln(SPrime)
writeln(" (", getsize(SPrime), " prime numbers.)")
end-model

```

## Operations on sets

- Set operators include
  - union: +
  - intersection: \*
  - difference: -
- Logical expressions using sets include
  - subset: Set1 <= Set2
  - superset: Set1 >= Set2
  - equals: Set1 = Set2
  - not equals: Set1 <>Set2
  - element of: 'Oil5' in Set1
  - not element of: 'Oil5' not in Set1

### 2.4.3 Functions and procedures

- Similar structure as model, including the declarations blocks
- Terminated by end-function or end-procedure
- Function defines returned with its return value
- forward declaration
- Overloading possible (each version with a different number or types of arguments)

#### Example: Quick Sort algorithm

1. Choose a middle value  $v$  for partitioning (here:  $v = (min + max) / 2$ )
2. Divide the list into two parts 'left' (all elements  $x < v$ ) and 'right' (all elements  $x > v$ )
3. Repeat from 1. for lists 'left' and 'right'

```

model "Quick Sort"
parameters
  LIM=50
end-parameters

! Declare procedures that are defined later
forward procedure qsort(L:array(range) of integer)
forward procedure qsort(L:array(range) of integer, s,e:integer)

declarations
  T:array(1..LIM) of integer
end-declarations

! Generate randomly an array of numbers
forall(i in 1..LIM) T(i):=round(.5+random*LIM)
writeln(T)
time:=gettime

qsort(T)           ! Sort the array
writeln(T)        ! Print the sorted array

```

```

! Swap the positions of two numbers in an array
procedure swap(L:array(range) of integer, i,j:integer)
k:=L(i)
L(i):=L(j)
L(j):=k
end-procedure

! Start of the sorting process
procedure qsort(L:array(r:range) of integer)
qsort(L,getfirst(r),getlast(r))
end-procedure

! Sorting routine
procedure qsort(L:array(range) of integer, s,e:integer)
v:=L((s+e) div 2)
i:=s; j:=e
repeat
while(L(i)<v) i+=1
while(L(j)>v) j-=1
if i<j then
swap(L,i,j)
i+=1; j-=1
end-if
until i>=j
if j<e and s<j then qsort(L,s,j); end-if
if i>s and i<e then qsort(L,i,e); end-if
end-procedure

end-model

```

## 2.4.4 Data structures

- array
- set
- list
- record
- ... and any combinations thereof, e.g.,

```

S: set of list of integer
A: array(range) of set of real

```

### List

- Collection of objects of the same type
- May contain the same element several times
- Order of list elements is specified by construction
- Handling: cuthead, splittail, reverse...

```

declarations
L: list of integer
M: array(range) of list of string
end-declarations

L:= [1,2,3,4,5]
M:= (2..4)[['A','B','C'], ['D','E'], ['F','G','H','I']]

```

### Record

- Finite collection of objects of any type
- Each component of a record is called a 'field' and is characterized by its name and its type

```

declarations
ARC: array(ARCSET:range) of record
Source,Sink: string ! Source and sink of arc
Cost: real ! Cost coefficient
end-record
end-declarations

ARC(1).Source:= "B"
ARC(3).Cost:= 1.5

```

## User types

- Treated in the same way as the predefined types of the Mosel language
- New types are defined in declarations blocks by specifying a type name, followed by =, and the definition of the type

```
declarations
  myreal = real
  myarray = array(1..10) of myreal
  COST: myarray
end-declarations
```

- Typical uses
  - shorthand for repetitions in declarations
  - naming records

```
declarations
  arc = record
    Source, Sink: string      ! Source and sink of arc
    Cost: real                ! Cost coefficient
  end-record
  A: arc
  ARC: array(ARCSET:range) of arc
end-declarations
```

## Summary: Language features

- *Data structures*: array, set, list, record
- *Selections*: if-then-[elif-then]-[else], case
- *Loops*: forall-[do], while-[do], repeat-until
- *Operators*:
  - standard arithmetic operators
  - aggregate operators (sum, prod, and, or, min, max, union, intersection)
  - set operators
- *Subroutines*: functions, procedures (forward declaration, overloading)

## 2.4.5 Programming solution algorithms

### Mosel: A solving environment

- No separation between 'modeling statements' and 'solving statements'
- Programming facilities for pre/postprocessing, algorithms
- Principle of incrementality
- Not solver-specific
- Possibility of interaction with solver(s)

### Solving: Variable fixing heuristic

- Solution heuristic written with Mosel
- Program split into several source files



## Solving: Variable fixing heuristic (main file)

```
model Coco
uses "mmxprs"

include "fixbv_pb.mos"
include "fixbv_solve.mos"

solution:=solve
writeln("The objective value is: ", solution)

end-model
```

## Solving: Variable fixing heuristic (model)

```
declarations
  RF=1..2           ! Range of factories (f)
  RT=1..4           ! Range of time periods (t)
  (...)
  openm: array(RF,RT) of mpvar
end-declarations

(...)
forall(f in RF,t in 1..NT-1) Closed(f,t):= openm(f,t+1) <= openm(f,t)
forall(f in RF,t in RT) openm(f,t) is_binary
```

## Solving: Variable fixing heuristic (algorithm)

```
function solve:real
  declarations
    osol: array(RF,1..2) of real
    bas: basis
  end-declarations

  setparam("XPRS_PRESOLVE",0)
  setparam("zerotol", 5.0E-4) ! Set Mosel comparison tolerance
  maximize(XPRS_LPSTOP,MaxProfit) ! Solve the root LP
  savebasis(bas) ! Save the basis

  forall(f in RF, t in 1..2) do ! Fix some binary variables
    osol(f,t):= getsol(openm(f,t))
    if osol(f,t) = 0 then
      setub(openm(f,t), 0.0)
    elif osol(f,t) = 1 then
      setlb(openm(f,t), 1.0)
    end-if
  end-do

  maximize(XPRS_CONT,MaxProfit) ! Solve modified problem
  solval:=getobjval ! Save solution value

  forall(f in RF, t in 1..2) ! Reset variable bounds
    if((osol(f,t) = 0) or (osol(f,t) = 1)) then
      setlb(openm(f,t), 0.0)
      setub(openm(f,t), 1.0)
    end-if

  loadbasis(bas) ! Load previously saved basis
  setparam("XPRS_MIPABSCUTOFF", solval) ! Set cutoff value
  maximize(MaxProfit) ! Solve original problem
  returned:= if(getprobstat=XPRS_OPT, getobjval, solval)
end-function
```

### Mosel: A modular environment

- Open architecture:
  - possibility to define language extensions via *packages* or *modules* without any need to modify the core of the Mosel language
- *Package* = library written in the Mosel language
  - making parts of Mosel models re-usable
  - deployment of Mosel code whilst protecting your intellectual property
  - similar structure as models (keyword `model` is replaced by `package`), compiled in the same way
  - included with the `uses` statement
  - definition of new types, subroutines, symbols
  - see examples in the *Mosel User Guide*
- *Module* = dynamic library written in C
  - modules of the Mosel distribution:
    - \* solver interfaces: Xpress-Optimizer (LP, MIP, QP), SLP, SP, CP
    - \* database access: ODBC, OCI
    - \* system commands; model handling; graphics
  - write your own modules for
    - \* connecting to external software
    - \* time-critical tasks
    - \* defining new types, subroutines, operators, I/O drivers, control parameters, symbols

### Some highlights of module features

- Interaction with external programs during their execution (callback functions)
- Access to other solvers and solving paradigms (NLP, CP)
- Implementation of graphical applications (*mmive*, XAD)

## Module mmxprs: Using callback functions

```
uses "mmxprs"

declarations
  x: array(1..10) of mpvar
end-declarations

public procedure printsol
  writeln("Solution: ", getsol(Objective))
  forall(i in 1..10) write("x(", i, ")=", getsol(x(i)), " ")
  writeln
end-procedure

setcallback(XPRS_CB_INTSOL, "printsol")
```

## Module mmxslp: Solving an NLP by SLP

- What is the greatest area of a polygon of N sides and a diameter of 1?

```
model "Polygon"
  uses "mmxslp"

  declarations
    N=5
    area: gexp
    rho, theta: array(1..N) of mpvar
    objdef: mpvar
    D: array(1..N,1..N) of genctr
  end-declarations

  forall(i in 1..N-1) do          ! Initialization of SLP variables
    rho(i) >= 0.1; rho(i) <= 1
    SLPDATA("IV", rho(i), 4*i*(N + 1 - i)/((N+1)^2))
    SLPDATA("IV", theta(i), M_PI*i/N)
  end-do

  forall(i in 1..N-2, j in i+1..N-1) ! Third side of all triangles
    D(i,j) := rho(i)^2 + rho(j)^2 -
      rho(i)*rho(j)*2*cos(theta(j)-theta(i)) <= 1

  ! Vertices in increasing order
  forall(i in 2..N-1) theta(i) >= theta(i-1) +.01

  theta(N-1) <= M_PI          ! Boundary conditions

  area :=          ! Objective: sum of areas
    (sum(i in 2..N-1) (rho(i)*rho(i-1)*sin(theta(i)-theta(i-1))))*0.5
  objdef = area; objdef is_free
  SLPloadprob(objdef)
  SLPmaximize

  writeln("Area = ", getobjval)
end-model
```

## Module kalis: Constraint Programming

- Example: jobshop scheduling
  - schedule the production of a set of jobs on a set of machines. Every job is produced by a sequence of tasks, each of these tasks is processed on a different machine. A machine processes at most one job at a time.
- Implementation with high-level modeling objects (tasks and resources)

```

model "Job Shop"
  uses "kalis"

  declarations
    JOBS = 1..NJ                ! Set of jobs
    MACH = 1..NM                ! Set of resources
    RES: array(JOBS,MACH) of integer ! Resource use of tasks
    DUR: array(JOBS,MACH) of integer ! Durations of tasks

    res: array(MACH) of cresource ! Resources
    task: array(JOBS,MACH) of cptask ! Tasks
  end-declarations

  ... ! Initialize the data

  HORIZON:= sum(j in JOBS, m in MACH) DUR(j,m)

  forall(j in JOBS) getend(task(j,NM)) <= HORIZON

  ! Setting up the resources (capacity 1)
  forall(m in MACH)
    set_resource_attributes(res(m), KALIS_UNARY_RESOURCE, 1)

  ! Setting up the tasks (durations, resource used)
  forall(j in JOBS, m in MACH)
    set_task_attributes(task(j,m), DUR(j,m), res(RES(j,m)))

  ! Precedence constraints between the tasks of every job
  forall (j in JOBS, m in 1..NM-1)
    setsuccessors(task(j,m), {task(j,m+1)})

  ! Solve the problem & print solution
  if cp_schedule(getmakespan)<>0 then
    writeln("Total completion time: ", getsol(getmakespan))
  end-if
end-model

```

## Module mmive: Drawing user graphs

```

model "Schedule"
  uses "mmive", "mmsystem"

  declarations
    MACHINES=6; JOBS=6
    graphs, colors: array(1..MACHINES) of integer
    labels: array(1..JOBS) of integer
    curmachine, curjobs, n1, n2, n3: integer
  end-declarations

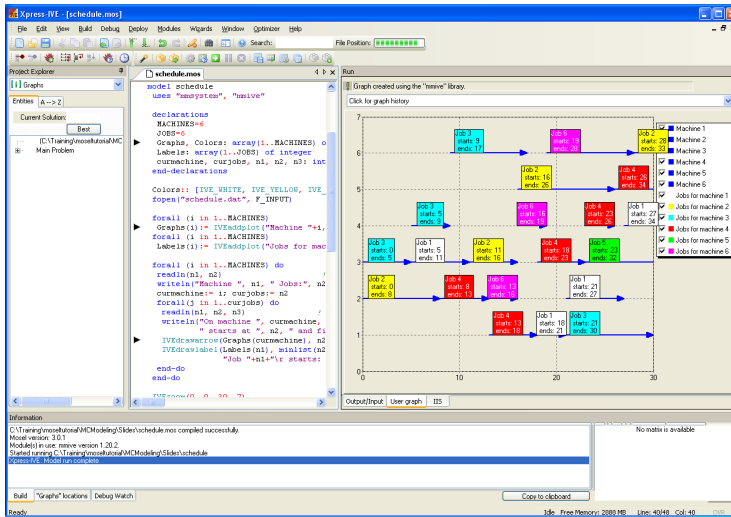
  colors:: [IVE_WHITE, IVE_YELLOW, IVE_CYAN, IVE_RED, IVE_GREEN,
            IVE_MAGENTA]
  fopen("schedule.dat", F_INPUT)

  forall (i in 1..MACHINES) do
    graphs(i) := IVEaddplot("Machine "+i, IVE_BLUE)
    labels(i) := IVEaddplot("Jobs for machine "+i, Color(i))
  end-do

  forall (i in 1..MACHINES) do
    readln(n1, n2) ! Read machine no. & no. of jobs
    writeln("Machine ", n1, " Jobs:", n2)
    curmachine:= n; curjobs:= n2
    forall(j in 1..curjobs) do
      readln(n1, n2, n3) ! Read job no., start & finish times
      writeln("On machine ", curmachine, " job ", n1,
              " starts at ", n2, " and finishes at ", n3)
      IVEdrawarrow(graphs(curmachine), n2, curmachine, n3, curmachine)
      IVEdrawlabel(labels(n1), (n2+n3)/2, curmachine,
                    "Job "+n1+"\r starts: "+n2+"\r ends: "+n3)
    end-do
  end-do

  IVEzoom(0, 0, 30, 7)
  fclose(F_INPUT)
end-model

```



## And also

- Working with several models in parallel, possibly in a heterogeneous distributed architecture (module *mmjobs*)
  - see whitepaper *Multiple models and parallel solving with Mosel*
- Combining different solvers
  - see whitepaper *Hybrid MIP/CP solving with Xpress-Optimizer and Xpress-Kalis*

## Reference material

- The modules of the Mosel distribution are documented in the *Mosel Language Reference Manual* (with separate manuals for solver modules *mmxslp* and *kalis*)
- The *Mosel Native Interface User Guide* explains how to write your own modules.

# Embedding Mosel models

## 3.1 Embedding models in applications

Notes

### What is the Mosel API?

- The Mosel language allows you to formulate optimization problems, and develop optimization methods (*i.e.*, use the Optimizer to solve them), as a Mosel model
- The Mosel API (also *Mosel libraries*) allows you to embed Mosel models in an application

### Programming environments

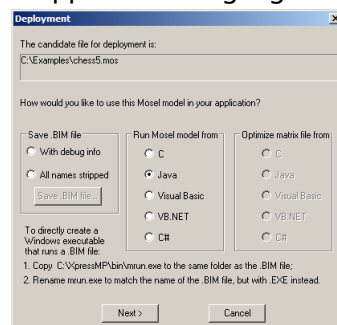
- The Mosel API is available for C/C++, Java, .NET and VB
- We use Java in the slides, but the functionality applies to all languages, and similar applications can be developed in other languages

### Mosel libraries

- Model Compiler Library
  - compiles to a virtual machine
  - binary format architecture independent
- Runtime Library
  - load and run binary (models)
  - access to Mosel internal database (data, solution values, ...)

### Generating a deployment template

- With Xpress-IVE: select *Deploy* >> *Deploy* or click the deploy button 📦
- Choose the application language:



- Clicking on the *Next* button will open a new window with the resulting code
- Use the *Save as* button to set the name and location of the new file.

## Mosel library functions

- General:

```
XPRM(), XPRM.getVersion, XPRM.license, ...
```

- Model handling:

```
XPRM.compile, XPRM.loadModel, XPRMModel.run, XPRMmodel.getResult,  
XPRMModel.getExecStatus, XPRMModel.reset, ...
```

- Solution information:

```
XPRMModel.getObjectiveValue, XPRMModel.getProblemStatus,  
XPRMMPVar.getSolution, XPRMLinCtr.getActivity, ...
```

- Accessing model objects:

```
XPRMModel.findIdentifier
```

- Arrays:

```
XPRMArray.getDimension, XPRMArray.getIndexSets,  
XPRMArray.getFirstIndex, XPRMArray.nextIndex, XPRMArray.get, ...
```

- Sets:

```
XPRMSet.getSize, XPRMSet.getFirstIndex, XPRMSet.isFixed, ...
```

- Handling of modules:

```
XPRM.findModule, XPRM.setModulesPath, XPRMModule.parameters, ...
```

## Project work [C-6]: Model deployment

- Use IVE to generate a Java program that compiles and runs model `chess5.mos`
- Modify the program so that the model execution uses the data file `chess4.dat`.
- Check the problem status and output the objective value.

## Extending the example

- Retrieving detailed solution information and model data

```
XPRMModel model;  
XPRMSet prods;  
XPRMArray profit, ax;  
XPRMMPVar x;  
int[] idx = new int[1];  
double val;  
  
// Retrieve solution values and problem data  
prods = (XPRMSet)model.findIdentifier("PRODS");  
profit = (XPRMArray)model.findIdentifier("PROFIT");  
ax = (XPRMArray)model.findIdentifier("x");  
  
// Get the first entry of array 'ax'  
// (we know that the array is dense and has a single dimension)  
idx = ax.getFirstIndex();  
do  
{  
    x = ax.get(idx).asMPVar(); // Get a variable from 'ax'  
    val = profit.getAsReal(idx); // Get the corresponding value  
    System.out.println(prods.get(idx[0]) + ": " + x.getSolution() +  
        "\t (profit: " + val + ")");  
    // Print the solution value  
} while(ax.nextIndex(idx)); // Get the next index
```

- Data exchange in memory with host application

```
public class chessio
{
    static int NP = 4; // Input data
    static final double[] dur = {3, 2, 2, 3};
    static final double[] wood = {1, 2, 3, 6};
    static final double[] profit = {5,12,20,40};
    // Array for solution values
    static double[] solution = new double[NP];

    public static void main(String[] args) throws Exception
    {
        int result;
        XPRMModel model;
        XPRM xprm;

        xprm = new XPRM(); // Initialize Mosel
        xprm.compile("chess5ioj.mos"); // Compile + load model
        model = xprm.loadModel("chess5ioj.bim");
        xprm.bind("DUR", dur); // Associate Java objects with
        xprm.bind("WOOD", wood); // names in Mosel
        xprm.bind("PROFIT", profit);
        xprm.bind("xsol", solution);
        model.execParams = "NP="+NP; // Set runtime parameters
        model.run(); // Run the model
        if (model.getProblemStatus()==model.PB_OPTIMAL)
        {
            // Check problem status and display the solution
            System.out.println("Objective: " + model.getObjectiveValue());
            for(int i=0;i<NP;i++)
                System.out.println("x(" + (i+1) + "): " + solution[i] +
                    "\t (profit: " + profit[i] + ")");
        }
        model.reset();
    }
}
```

## Summary

- Mosel libraries allow you to embed model programs directly in your application
- Access the solution directly in your application, as alternative to using ODBC
- Enjoy benefits of structured modeling language and rapid deployment when building applications
- May choose to work with compiled models rather than model source files – provides protection against the user viewing / changing the model
- Compiled models are platform independent

## Reference material

- You will find it helpful to refer to the *Mosel Libraries Reference Manual*
- The part 'Working with the Mosel libraries' of the *Mosel User Guide* documents examples for different programming language interfaces



# Summary and further information

## 4.1 Summary

---

Notes

- Have seen:
  - *FICO Xpress product suite*
    - \* solvers
    - \* modeling interfaces
    - \* development environment
- Have seen:
  - *Modeling with Mosel*
    - \* formulating Linear and Mixed Integer Programming (LP and MIP) problems
    - \* accessing data sources
    - \* programming language features
    - \* language extensions (modules and packages)
  - *Embedding models in applications for deployment*

### Further information

- **Xpress website:**  
<http://www.fico.com/xpress>
- **Examples database:**  
<http://examples.xpress.fico.com>
- **Whitepapers, documentation:**  
<http://optimization.fico.com>